## Reflections

3-14. What happens when $\triangle A B C$ is reflected across line $n$ to form $\Delta A^{\prime} B^{\prime} C^{\prime}$ and then $\Delta A^{\prime} B^{\prime} C^{\prime}$ is reflected across line $p$ to form $\Delta A^{\prime \prime} B^{\prime \prime} C^{\prime \prime}$ ? First visualize the reflections. Then test your idea by drawing both reflections. Finally, answer the rest of the questions in the student text.


3-15. a. Visualize the result when $\triangle E F G$ is reflected over $v$ to form $\Delta E^{\prime} F^{\prime} G^{\prime}$, and then $\Delta E^{\prime} F^{\prime} G^{\prime}$ is reflected over $w$ to form $\Delta E^{\prime \prime} F^{\prime \prime} G^{\prime \prime}$. Draw the resulting reflections on the resource page. Is the final image a translation of the original triangle? If not, describe the result. After your teacher verifies your answers to part (a), complete parts (b), (c), and (d) as stated in the text.

e. On the grid below, rotate the "block $\mathrm{L} " 90^{\circ}$ counterclockwise ( $(\mathbb{U})$ about $Q$.


